

# Learning Module 8: Yield and Yield Spread Measures for Floating-Rate Instruments

## Fixed Income

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### Floating-Rate Notes (FRN) Pricing Model

$$PV = \frac{\frac{(MRR+QM) \times FV}{m}}{\left(1 + \frac{MRR+DM}{m}\right)^1} + \frac{\frac{(MRR+QM) \times FV}{m}}{\left(1 + \frac{MRR+DM}{m}\right)^2} + \dots + \frac{\frac{(MRR+QM) \times FV}{m} + FV}{\left(1 + \frac{MRR+DM}{m}\right)^N} \quad (1)$$

Where:

- $PV$  = present value, or the price of the floating-rate note
- $MRR$  = the market reference rate, stated as an annual percentage rate (it is sometimes known generically as Index)
- $QM$  = the quoted margin, stated as an annual percentage rate
- $FV$  = the future value paid at maturity, or the par value of the bond
- $m$  = the periodicity of the floating-rate note, the number of payment periods per year
- $DM$  = the discount margin = required margin stated as an annual percentage rate
- $N$  = the number of evenly spaced periods to maturity
- Notice that in Equation 1, because we are using annual rates for  $MRR$ ,  $QM$ , and  $DM$ , we must divide by  $m$  periods in the year

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+ \frac{\frac{(MRR + QM) \times FV}{m} + FV}{\left(1 + \frac{MRR + DM}{m}\right)^N}
\tag{1}
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Where:

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  is sometimes known generically as Index)
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- Notice that in Equation 1, because we are using annual rates for  $MRR$ ,  $QM$ ,
  and  $DM$ , we must divide by  $m$  periods in the year

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**Pricing formula for money market instruments quoted on a discount rate basis.**

$$PV = FV \times \left(1 - \frac{Days}{Year} \times DR\right) \tag{2}$$

Where:

- $PV$  = present value, or the price of the money market instrument
- $FV$  = the future value paid at maturity, or the face value of the money market instrument
- $Days$  = the number of days between settlement and maturity
- $Year$  = the number of days in the year
- $DR$  = the discount rate, stated as an annual percentage rate

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- $DR$ = the discount rate, stated as an annual percentage rate
```

## Transforming Equation 2 algebraically to isolate the DR term

$$DR = \frac{Year}{Days} \times \frac{(FV - PV)}{FV} \quad (3)$$

- The unique characteristics of a money market discount rate can be examined with Equation 3, which transforms Equation 2 algebraically to isolate the  $DR$  term
- The first term, Year/Days, is the periodicity of the annual rate
- The second term reveals the odd character of a money market discount rate

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### Transforming Equation 2 algebraically to isolate the DR term

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DR = \frac{Year}{Days} \times \frac{(FV - PV)}{FV} \tag{3}
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  $DR$ term
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## Pricing formula for money market instruments quoted on an add-on rate basis

$$PV = \frac{FV}{\left(1 + \frac{Days}{Year} \times AOR\right)} \quad (4)$$

Where:

- $PV$  = present value, the principal amount, or the price of the money market instrument
- $FV$  = the future value, or the redemption amount paid at maturity including interest

- $Days$  = the number of days between settlement and maturity
- $Year$  = the number of days in the year
- $AOR$  = the add-on rate, stated as an annual percentage rate

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### Pricing formula for money market instruments quoted on an add-on rate basis
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PV = \frac{FV}{\left(1 + \frac{Days}{Year} \times AOR\right)} \tag{4}
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Where:

- $PV$  = present value, the principal amount, or the price of the money market instrument
- $FV$  = the future value, or the redemption amount paid at maturity including interest
- $Days$  = the number of days between settlement and maturity
- $Year$  = the number of days in the year
- $AOR$  = the add-on rate, stated as an annual percentage rate